

**

*

-

.

.

.

-

.

.

.

:

:

.

.

.

*

**

: (ISIC)

— ()

— ()

— ()

— ()

)

(

$$\left(\begin{array}{c} \text{ } \\ \text{ } \\ \text{ } \end{array} \right)$$

1. International Standard Industrial Classification of all Economic Activities (ISIC)

...

)

(

)

(

-
1. Import Tariffs
 2. Export Subsidies
 3. Effective Exchange Rate of Export

$$EERX = E_x(1 + S_x + V_x - t_x) \quad ()$$

$$\begin{matrix} V_x & S_x & E_x \\ V_x & S_x & E_x \end{matrix} \quad t_x$$

$$REERX = EERX * \frac{P_f}{P_d} \quad ()$$

$$P_d \quad P_f \quad EERX$$

$$()$$



(ISO)

)

(

()

1. Research and Development (R & D)

...

.

..

.

.

.

..

()

()

.

.

.

.

..

.

.

.

.

.

)

()

(

.

.

-

.

.

.

.

.

.

-

.

.

)

.

(

()

()

.

.

...

—

5

■

1

•

—

5

« »

1

1

1

■

•

1

"

11

•

$$S(X_{ij}) = S(Px_{ij} \cdot Pd_{ij} \cdot W_i \cdot K_i) \quad i = 1, \dots, n, j = 1, \dots, m \quad (1)$$

1. John A. Derdourph, P. Martin and Alasdair Smith, 1979, pp. 120-151.

$$j \quad Px_{ij} \quad i \quad j \quad S(X_{ij})$$

$$i \quad W_i \quad i \quad j \quad Pd_{ij} \quad i$$

$$. \quad i \quad K_i$$

:

$$Px_{ij} = E_i . Pw_j \quad ()$$

$$. \quad j \quad Pw_j \quad i \quad E_i$$

$$»$$

$$« (\quad)$$

:

$$X = P_n . (\frac{E}{P}) \quad X > 0 \quad ()$$

$$P_n (\quad) \quad P \quad X \quad E$$

« »

()

-
1. M. H. Pesaran, 1984, pp. 253-270.
 2. I. Lukonga, 1994.

...

$$\text{Log}X_t = \beta_0 + \beta_1 \text{Log}\left(\frac{P_x}{P_d}\right) + \beta_2 \text{Log}Y_t + \beta_3 \text{Log}Dd_t + \beta_4 DUM_t \quad (1)$$

$\beta_0 > 0 \quad \beta_1 > 0 \quad \beta_2 > 0 \quad \beta_3 < 0 \quad \beta_4 > 0$

$$D_d = \frac{P_x}{P_d} \frac{X_t}{Y_t} \quad (2)$$

»

«

-

.

$$\text{Ln}XD_R^K = a_0 + a_1 \text{Ln}\left(\frac{P_x^K}{P_w^K}\right) + a_2 \text{Ln}Y_w \quad (3)$$

$$\text{Ln}XD_R^K = a_0 + a_1 \text{Ln}\left(\frac{P_x^K}{P_w^K}\right) + a_2 \text{Ln}Y_w \quad (4)$$

$$a_1 = \frac{\text{Ln}XD_R^K - a_0 - a_2 \text{Ln}Y_w}{\text{Ln}\left(\frac{P_x^K}{P_w^K}\right)} \quad (5)$$

$$a_2 = \frac{\text{Ln}XD_R^K - a_0 - a_1 \text{Ln}\left(\frac{P_x^K}{P_w^K}\right)}{\text{Ln}Y_w} \quad (6)$$

$$\text{Ln}XS_R^K = \beta_0 + \beta_1 \text{Ln}\left(\frac{P_x^K}{P_R \cdot ER}\right) + \beta_2 \text{Ln}\left(\frac{P_x^{K-1}}{P_{R-1} \cdot E_{R-1}}\right) + \beta_3 \text{Ln}\bar{Y}_k + \beta_4 \text{LnSSR} + \beta_5 t \quad (7)$$

$$ER = \frac{P_R}{P_x} \frac{X_S^K}{Y_R} \quad (8)$$

1. Marian Bond, 1987, pp. 191-227.

$$R \qquad \bar{Y}_k \qquad t \ R \qquad SSR$$

$$R \qquad SSR$$

$$\beta_3 \ \beta_2 \ \beta_1$$

$$(\) \qquad (\)$$

$$.(\)$$

$$LS_x = \beta_{\circ} + \beta_1 LIP + \beta_2 LIP_1 + \beta_3 LGDP + \beta_4 D_1 + \beta_5 T \qquad (\)$$

$$IP \qquad S_x$$

$$IP_1 \ (\)$$

$$D_1 \ (\) \qquad GDP$$

$$T$$

$$/$$

$$/$$

$$\begin{aligned}
 & \dots \\
 & \text{«} \qquad \qquad \qquad \text{»} \\
 & \qquad \qquad \qquad) \\
 & \qquad \qquad \qquad (\quad - \quad \\
 & \qquad \qquad \qquad : \\
 & \qquad \qquad \qquad : \\
 & \begin{aligned}
 & \text{EXPR} = a_{\circ} + a_1 \sum_{i=1}^9 D_i + a_2 \text{SSR} + a_3 \sum_{i=1}^9 D_i \text{SSR} + a_4 \text{EPR} + a_5 \sum_{i=1}^9 D_i \text{EPR} + a_6 \text{R \& DER} + \\
 & + a_7 \sum_{i=1}^9 D_i \text{R \& DER} + a_8 \text{LPR} + a_9 \sum_{i=1}^9 D_i \text{LPR} + a_{10} \text{PRODR} + a_{11} \sum_{i=1}^9 D_i \text{PRODR} + a_{12} \text{EXR} + \\
 & + a_{13} \sum_{i=1}^9 D_i \text{EXR} + a_{14} \text{RCA} + a_{15} \sum_{i=1}^9 D_i \text{RCA} + a_{16} \text{PWUR} + a_{17} \sum_{i=1}^9 D_i \text{PWUR} + a_{18} \text{PMFR} + \\
 & + a_{19} \sum_{i=1}^9 D_i \text{PMFR}
 \end{aligned}
 \end{aligned}
 \tag{ }$$

ISIC

$$\begin{aligned}
 & \qquad \qquad \qquad : \\
 & \qquad \qquad \qquad j \qquad \qquad \qquad : \text{EXPR} \\
 & \qquad \qquad \qquad j \qquad \qquad \qquad : \text{SSR} \\
 & \qquad \qquad \qquad j \qquad \qquad \qquad : \text{EPR} \\
 & \qquad \qquad \qquad j \qquad \qquad \qquad : \text{R \& DER} \\
 & \qquad \qquad \qquad j \qquad \qquad \qquad (\qquad \qquad \qquad) \qquad \qquad \qquad : \text{LPR} \\
 & \qquad \qquad \qquad j \qquad \qquad \qquad j \qquad \qquad \qquad : \text{PRODR} \\
 & \qquad \qquad \qquad j \qquad \qquad \qquad (\qquad \qquad \qquad) \qquad \qquad \qquad : \text{EXR} \\
 & \qquad \qquad \qquad j \qquad \qquad \qquad (\qquad \qquad \qquad) \qquad \qquad \qquad : \text{RCA}
 \end{aligned}$$

.

$$\ln(C_{nox}) = \gamma_0 + \gamma_1 \ln(Bmer)_t + \gamma_2 (Nov)_t + \gamma_3 \ln(Open)_t + \gamma_4 Dum + \varepsilon_t \quad (1)$$

$$\ln\left(\frac{Nov\$}{P_w}\right)_t = 1/217 + 0/287 \ln(Bmer)_t + 0/576 \ln(Nov)_t + 0/419 \ln(Open)_t - 1/19 Dum_t$$

$$\bar{R}^2 = 0/89 \quad F = 70 \quad ADF = - /$$

...

-

$$(\quad)$$

$$/ / /$$

$$(\quad)$$

$$(\quad) \quad (\quad)$$

LX

LXC

LXA

LXI

:

LXM

$$LX = LXI + LXA + LXC + LXM \quad (\quad)$$

(IFS) er :

$$exi \quad (\quad) \quad fgdp$$

$$C_i \quad X_{-1} \quad hsi$$

$$(\quad) \quad D_1, \dots, D_4$$

$$L \quad .Ler^* = \ln(er) = \log_e^{er}$$

2. Double – Log Model

$$Lx_t = 5/35 + 0/2711er + 0/8231fgdp - 0/664Lexi - 0/805Lhsi + 0/458Lx(-1) + 0/57D_6t$$

(/) (/) (/) (/) (- /) (/) (/)

$$R^2 = 0/968 \quad DW = 2/09$$

$$\bar{R}^2 = 0/956 \quad F = 77/17$$

$$Lx = 3/87 + 1/703Ler + 2/26Lexi - 3/78Lhsi + 2/96D_2$$

(/) (/) (/) (- /) (/)

$$R^2 = 0/820 \quad DW = 2/11$$

$$\bar{R}^2 = 0/778 \quad F = 19/42$$

$$Lxa = -5/41 + 0/173Ler + 0/734Lexi - 0/811Lci + 1/069Lfgdp(-1) + 0/345D_2$$

(- /) (/) (/) (- /) (/) (/)

$$R^2 = 0/926 \quad DW = 1/98$$

$$\bar{R}^2 = 0/903 \quad F = 40/09$$

$$Lxc = 3/809 + 0/658Ler + 1/202Lexi - 1/403Lhsi + 1/399D_6$$

(/) (/) (/) (- /) (/)

$$R^2 = 0/945 \quad DW = 2/34$$

$$\bar{R}^2 = 0/932 \quad F = 72/97$$

$$Lxm = -9/826 + 0/102Ler + 1/215Lfgdp - 1/298D_6$$

(- /) (/) (/) (- /)

$$R^2 = 0/869 \quad DW = 1/706$$

$$\bar{R}^2 = 0/848 \quad F = 39/99$$

(-)

...

»

«

/

ISIC

:

$$X = f(Q, EER, WPI, X_{t-1}, Dumy)$$

$$\frac{\delta X}{\delta Q} > 0 \quad \frac{\delta X}{\delta EER} > 0 \quad \frac{\delta X}{\delta WPI} < 0 \quad \frac{\delta X}{\delta X_{t-1}} > 0 \quad ()$$

$$: ()$$

$$X_t = \alpha_0 + \alpha_1 Q_t + \alpha_2 EER_t + \alpha_3 WPI_t + \alpha_4 X_{t-1} + \alpha_5 D + U_t \quad ()$$

: X

: Q

: EER

: WPI

: X_{t-1}

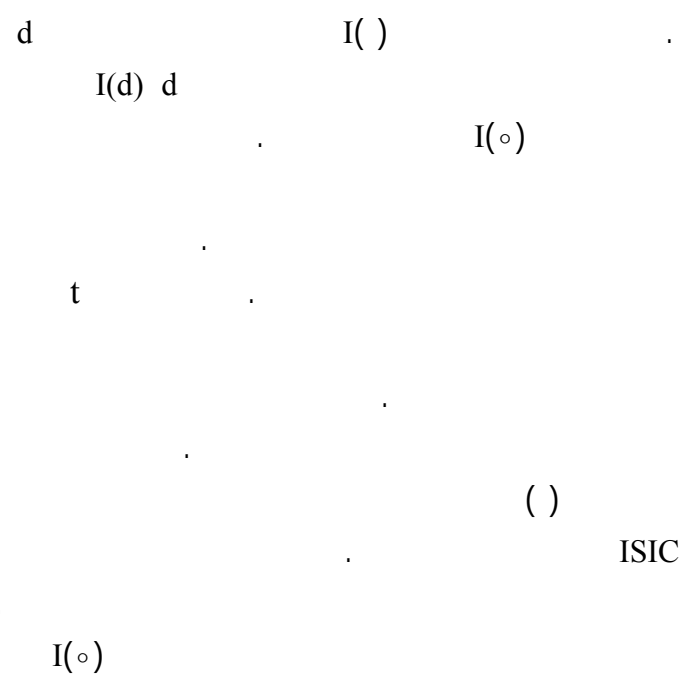
: $Dumy$

$$\left(\begin{array}{c} EER = E \left[\frac{P_x}{P} \right] \\ E \end{array} \right) \quad \begin{array}{c} P_x \\ EER \\ P \end{array} \quad (Q)$$
$$\left(\begin{array}{c} (CPI) \\ Dumy \end{array} \right) \quad d_o$$
$$\left(\begin{array}{c} d_3 \\ d_4 \end{array} \right) \quad \left(\begin{array}{c} d_2 \\ d_1 \end{array} \right)$$
$$\alpha_4 \quad \alpha_3 \quad \alpha_2 \quad \alpha_1$$
$$\alpha_1$$
$$\alpha_2$$
$$\alpha_3$$
$$\alpha_4$$
$$\alpha_4$$

$$t \quad F \quad \overline{R}^2$$

1. Unit Root Test

...



-
- | | |
|--------------------------|---------------------------|
| 1. Superious Regressions | 2. Order of Integration |
| 3. Dicky Fuller | 4. Augmented Dicky Fuller |
| 5. Mackinon | |

()	t	*
- /	+ /	$LQ_{3(N,\circ)}$
- /	+ /	$LQ_{31(N,\circ)}$
- /	- /	$LQ_{32(I,\circ)}$
- /	+ /	$LQ_{35(N,\circ)}$
- /	+ /	$LQ_{37(N,\circ)}$
- /	+ /	$LREERX_{(N,2)}$
- /	+ /	$REERX_{(N,2)}$
- /	+ /	$LWPI_{(I,\circ)}$
- /	+ /	$WPI_{(I,\circ)}$
- /	+ /	$LX_{3(N,\circ)}$
- /	+ /	$LX_{31(N,1)}$
- /	- /	$LX_{32(I,3)}$
- /	+ /	$LX_{35(N,\circ)}$
- /	- /	$LX_{37(T,1)}$
- /	- /	$LX_{37(T,1)}$
- /	- /	$DLX_{37(I,\circ)}$

:

T N I

N (Intercept)

I

T (None)

(Trend and Intercept)

()

...

$$LX_{31} = -4/5 + 0/123 LREERX + 0/32 LQ_{31} + 0/75 LX_{31(-1)} - 0/14 LWPI - 0/33 d_1 - 0/96 MA(2)$$

t: (- /) (/) (/) (/) (- /) (- /) (- /)

$R^2 = 0/98$, $DW = /$, $n =$, $F = /$, $h = /$

$$X_{31} = -2/84 + 0/0021 REERX + 0/0000011 Q_{31} + 0/66 X_{31(-1)} + 15/9 d_1 - 8/2 d_2 - 0/92 MA(2)$$

t: (-) (/) (/) (/) (/) (- /) (-)

$R^2 = 0/94$, $DW = /$, $n =$, $F =$, $h = /$

$$LX_{32} = -3/5 + 0/1 REERX + 0/271 LQ_{32} + 0/78 LX_{32(-1)} - 0/2 LWPI - 0/29 d_3 - 0/81 MA_1$$

t: (- /) (/) (/) (/) (/) (- /) (- /)

$R^2 = 0/81$, $DW = /$, $n =$, $F = /$, $h = /$

$$LX_{35} = -11/4 + 0/25 LREERX + 0/79 LQ_{35} + 0/58 LX_{35(-1)} - 0/36 LWPI + 0/46 D_4 -$$

t: (- /) (/) (/) (/) (- /) (- /)

$-0/38 MA(1) + 0/6 MA(2)$

(-) (- /)

$R^2 = 0/98$, $DW = /$, $F = /$, $n =$, $h = /$

$$LX_{37} = -15/2 + 0/58 LREERX + 1/11 LQ_{37} + 0/24 LX_{37(-1)} - 0/83 LWPI -$$

t: (- /) (/) (/) (/) (- /) (- /)

$-0/54 d_2 - 0/45 MA(3)$

(-) (- /)

$R^2 = 0/91$, $D.W = /$, $F = /$, $n =$, $h = /$

(EG)

t

(e_t)

:

$$\Delta e_t = a_1 e_{t-1} + u_t$$

()

a_1

:

$$\Delta e_t = a_1 e_{t-1} + \sum_{i=1}^n a_{i+1} \Delta e_{t-1} + u_t$$

()

()

()	t	t
%	- /	- /
%	- /	- /
%	- /	- /
%	- /	- /
%	- /	- /

:

()

...

t

)

(

.()

.

- /	/	/
-	/	/
- /	/	/
- /	/	/
- /	/	/

:

ISIC

(/)

(/)

. ()

:

.

(/)

(/)

()

- / - / - /

()

(+ /)

(/)

(/)

$$EXQ_{31} = \frac{\delta X_{31}}{\delta Q_{31}} \times \frac{\bar{Q}_{31}}{\bar{X}_{31}} = 0/0000011 \times \frac{8282033}{22/39} = 0/407$$

$$EXE = \frac{\delta X}{\delta E} \times \frac{\bar{E}}{\bar{X}} = 0/0021 \times \frac{2023/28}{22/39} = 0/19$$

...

.

.

.

-

d_o

-

d_2

.

$d_2 \quad d_o$

.

.

.

-

d_3

()

d_4

.

d_3

-

()

.

.

$$EXX_{t-1} = \frac{\delta X}{\delta X_{t-1}} \times \frac{\bar{X}_{t-1}}{\bar{X}_t} = 0/66 \times \frac{19/75}{22/39} = 0/582$$

...

•

.

.

•

.

()

•

.

.

(

(-) ().

.

« » ()

.

.

« » ()

.

« » ()

()

» ()

«

()

.

« » ().

.

:

:

.

. : ()
 ()
 . : ()
 « » () ...
 . : () .
 . : ()
 ()
 . » ()
 « » ()
 « » ()
 « » ()
 « » ()
 . : ()
 « » ()
 « » ()
 . : ()
 « » ()
 . : ()
 « » ()
 ()
 . ()
 ()
 ()
 « » ()
 «

...

()

» ()

«

» ()

«

» ()

()

()

()

()

» ()

» ()

«

» ()

()

» ()

«

» ()

«

» ()

» ()

» ()

«(—) -

- (
- Bond, Marian (1987), "An Econometric Study of Primary Commodity Exports from Developing Country Regions to the World", *IMF Staff Paper*, Vol. 34, No 2, June.
- Derdourph A. John, p. Martin and Smith Alasdair (1979), *Trade and Payments Adjustment under Flexible Exchange Rate*, Edit: MacMillan Press ltd.
- Krugman, P. (1988), "New Thinking about Policy", in *Strategic Trade Policy and the New International Economic*, MIT Press.
- Krugman, Paul and Elhanan Helpman (1991), *Market Structure and Foreign Trade*, The MIT Press, Forth Printing.
- Lukonga, I. (1994), "Nigerias Non- O.I. Exports, Determinats of Supply and Demand 1920-1990", *IMF Working Paper*, No. 59, May.

- Henderson, J. H. and R. E. Quandt (1980), *Microeconomic Theory: A Mathematical Approach*, Third Edition, MacGraw– Hill.
- Pesaran M. H. (1984), "Macroeconomic Policy in an Oil–Exporting Economy with Foreign Controls", *Economica*, Vol. 51, No. 203, pp. 253-270.